# ON DEGREE SETS AND THE MINIMUM ORDERS IN BIPARTITE GRAPHS 

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#### Abstract

For any simple graph $G$, let $D(G)$ denote the degree set $\left\{\operatorname{deg}_{G}(v): v \in\right.$ $V(G)\}$. Let $S$ be a finite, nonempty set of positive integers. In this paper, we first determine the families of graphs $G$ which are unicyclic, bipartite satisfying $D(G)=S$, and further obtain the graphs of minimum orders in such families. More general, for a given pair $(S, T)$ of finite, nonempty sets of positive integers of the same cardinality, it is shown that there exists a bipartite graph $B(X, Y)$ such that $D(X)=S, D(Y)=T$ and the minimum orders of different types are obtained for such graphs.


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